## Remember PC-Notecard

Rule for $\ln x$ :

1. $\ln (a b)=$ $\qquad$
2. $\ln \left(\frac{a}{b}\right)=$ $\qquad$
3. $\ln a^{b}=$ $\qquad$

Example One: Find the derivative of each by first breaking them up using the Rules of $\ln x$.
A. $f(x)=\frac{(x+1)^{2}\left(2 x^{2}-3\right)}{\sqrt{x^{2}+1}}$
B. $f(x)=\frac{x(x+1)^{3}}{(3 x-1)^{2}}$

Example Two: Find $f^{\prime}(x)$ of each:

You know how to work problems if the base is a variable or function and the power is a number.
Know: $\frac{d y}{d x}\left[(A T)^{n}\right]=$
A. $f(x)=x^{2}$
B. $f(x)=(2 x+5)^{2}$
A. $f(x)=2^{x}$

You know how to work problems if the base is a number and the power is a variable or a function.

Know: $\frac{d y}{d x}\left[b^{A T}\right]=$
B. $f(x)=2^{3 x^{2}}$

Example Three: Find $f^{\prime}(x)$ of each:
What do you do if you have a function or variable as the base and the power?
$f(x)=x^{\sin x}$

| 1. Rewrite $f(x)$ as $y$ |  |
| :--- | :--- |
| 2. Ln both sides |  |
| 3. Use Rules of In to bring power <br> out front as multiplication. |  |
| 4. Take derivative of both sides. <br> Use implicit on left and always <br> use power rule on right. |  |
| 5. Solve for $\frac{d}{d x}$ |  |
| 6. Substitute in your original $y$. |  |

Example Four: Find $f^{\prime}(x)$ of each:
A. $f(x)=x^{x}$
B. $f(x)=(2 x-3)^{\cos x}$

