

\int Rate

\int Rate = Amount

$\int \frac{\text{miles}}{\text{hour}}$

\int acceleration = $\int \frac{\text{miles}}{\text{hours}^2}$

$\int \frac{\text{gallons}}{\text{min}}$

$\int \frac{\text{miles}}{\text{hour}} = \text{amount of miles}$

\int acceleration = $\int \frac{\text{miles}}{\text{hours}^2} = \text{velocity}$ OR $\frac{\text{miles}}{\text{hour}}$

$\int \frac{\text{gallons}}{\text{min}} = \text{amount of gallons}$

When a certain grocery store opens, it has 50 pounds of bananas on a display table. Customers remove bananas from the display table at a rate modeled by

$$f(t) = 10 + (0.8t)\sin\left(\frac{t^3}{100}\right) \text{ for } 0 \leq t \leq 12,$$

where $f(t)$ is measured in pounds per hour and t is the number of hours after the store opened. How many pounds of bananas are removed from the display table during the first 2 hours the store is open?

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$f(t) = \frac{\text{Rate bananas are removed}}{\text{hour}}$ in pounds

$$\int_0^2 \frac{\text{pounds}}{\text{hour}} = \int_0^2 10 + .8t \cdot \sin\left(\frac{t^3}{100}\right) dt = 20 \text{ pounds of bananas are removed}$$

How do you calculate displacement & distance? What is the difference in the 2?

displacement: How far you are from where you start

$$\int v(t) dt$$

Travel from home to school (10 miles) & back home (-10 miles), then displacement = 0.

distance: total distance traveled

$$\int |v(t)| dt$$

Travel from home to school (10 miles) & back home (10 miles) then distance = 20 miles.

$$v(t) = 4x - 2$$

Find displacement traveled & total distance traveled from [0, 2]

$$\text{displacement} = \int_0^2 4x - 2 dx$$

$$= \left. \frac{4x^2}{2} - 2x \right|_0^2 = \left. 2x^2 - 2x \right|_0^2 = 2(4) - 2(2) - 0 + 0 = \boxed{4}$$

$$\text{distance} = \int_0^2 |4x - 2| dx$$

$$= -\int_0^{\frac{1}{2}} 4x - 2 dx + \int_{\frac{1}{2}}^2 4x - 2 dx$$

$$= -\left(2x^2 - 2x \right) \Big|_0^{\frac{1}{2}} + \left(2x^2 - 2x \right) \Big|_{\frac{1}{2}}^2$$

$$= -\left(-\frac{1}{2} \right) + \left(\frac{9}{2} \right)$$

$$= \boxed{5}$$

$$4x - 2 = 0$$

$$x = \frac{1}{2}$$

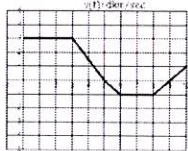
$$0 \quad \frac{1}{2} \quad 2$$

$$4\left(\frac{1}{4}\right) - 2$$

$$= \text{neg}$$

$$4(1) - 2$$

$$= \text{pos}$$



Find displacement from [0, 5].

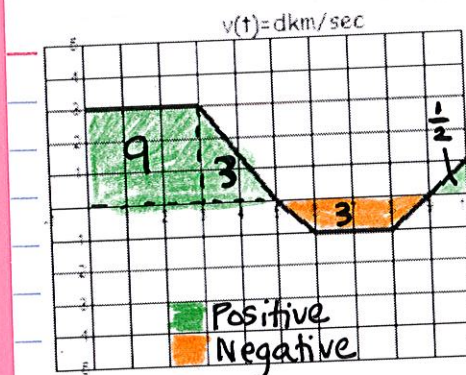
Find distance from [0, 5].

Find displacement from [0, 9].

Find distance from [0, 9].

Find displacement from [0, 10].

Find distance from [0, 10].



Find displacement from [0, 5].
= 12

Find distance from [0, 5].
= 12

Find displacement from [0, 9].
= 12 - 3 = 9

Find distance from [0, 9].
= 12 + |-3| = 15

Find displacement from [0, 10].
= 12 - 3 + 5 = 9.5

Find distance from [0, 10].
= 12 + |-3| + 5 = 15.5